

## Overview

- We present REPAIR, a **resampling** approach to minimizing representation bias of datasets
- Sensitivity analysis on video action recognition reveals some algorithms are more **prone to biases** than others
- Neural network models trained on de-biased datasets are shown to **generalize** better

## Introduction

- Video action classification can often be solved with static frames with no temporal information (Fig. 1)
- Representation bias** [3]: “Preference” of dataset towards different types of features
  - High bias — Feature representation informative for classification
  - Problematic if feature of high bias is not supposed to be sufficient (e.g. static features for video classification)
  - Shortcuts (visual cues) might be exploited by discriminative models (e.g. background objects, environment)
- Neural nets may overfit to bias specific to one dataset, producing **unfair** decisions and failing to **generalize**



Figure 1: Video snapshots of Kinetics [1], easily giving away the true action classes. No temporal reasoning needed here.

- Our goals:
  - Develop an algorithm (REPAIR) to reduce static bias of datasets
  - Re-evaluate action recognition models in the absence of bias
  - Improve generalization of networks using REPAIred training set

## References

- [1] Will Kay, Joao Carreira, Karen Simonyan, Brian Zhang, et al. The Kinetics human action video dataset. *arXiv preprint arXiv:1705.06950*, 2017.
- [2] Hildegard Kuehne, Hueihan Jhuang, Estibaliz Garrote, Tomaso Poggio, et al. HMDB: a large video database for human motion recognition. In *ICCV*, pages 2556–2563, 2011.
- [3] Yingwei Li, Yi Li, and Nuno Vasconcelos. RESOUND: Towards action recognition without representation bias. In *ECCV*, pages 513–528, 2018.
- [4] Khurram Soomro, Amir Roshan Zamir, and Mubarak Shah. UCF101: A dataset of 101 human actions classes from videos in the wild. *arXiv preprint arXiv:1212.0402*, 2012.

## REPresentAtion bIas Removal (REPAIR)

**Formulation** Bias of dataset  $\mathcal{D} = \{(X, Y)\}$  towards representation  $\phi$  is

$$\mathcal{B}(\mathcal{D}, \phi) = 1 - \frac{\mathcal{R}^*(\mathcal{D}, \phi)}{\mathcal{H}(Y)} \quad (1)$$

with linear classification **risk** and label **entropy**

$$\begin{aligned} \mathcal{R}^*(\mathcal{D}, \phi) &= \min_{\theta} \mathbb{E}_{X, Y}[-\log p_{\theta}(Y | \phi(X))] & \mathcal{H}(Y) &= \mathbb{E}_{X, Y}[-\log p(Y)] \\ &\approx \min_{\theta} -\frac{1}{|\mathcal{D}|} \sum_{i=1}^{|\mathcal{D}|} \log p_{\theta}(y_i | \phi(x_i)) & &\approx -\frac{1}{|\mathcal{D}|} \sum_{i=1}^{|\mathcal{D}|} \log p_{y_i} \end{aligned}$$

- Low risk  $\mathcal{R}^*(\mathcal{D}, \phi) \downarrow 0 \implies \phi$  informative for solving dataset  $\mathcal{D}$ , hence higher bias
- High risk  $\mathcal{R}^*(\mathcal{D}, \phi) \uparrow \mathcal{H}(Y) \implies \phi$  provides little information about label  $Y$ , hence lower bias
- Goal:** Obtain a new dataset  $\mathcal{D}'$  derived from  $\mathcal{D}$  with reduced bias

**Dataset resampling** Weight each example  $(x_i, y_i) \in \mathcal{D}$  by its probability  $w_i$  of being selected

- Minimize reweighted bias  $\mathcal{B}(\mathcal{D}'_w, \phi) = 1 - \frac{\mathcal{R}^*(\mathcal{D}'_w, \phi)}{\mathcal{H}(Y'_w)}$  with

$$\begin{aligned} \mathcal{R}^*(\mathcal{D}'_w, \phi) &= \min_{\theta} -\sum_{i=1}^{|\mathcal{D}'|} \frac{w_i}{\sum_i w_i} \log p_{\theta}(y_i | \phi(x_i)) & \mathcal{H}(Y'_w) &= -\sum_{i=1}^{|\mathcal{D}'|} \frac{w_i}{\sum_i w_i} \log p'_{y_i} \\ p'_{y_i} &= \frac{\sum_{i: y_i=y} w_i}{\sum_i w_i} \end{aligned}$$

- Leads to solving **minimax** problem with adversarial training

$$\min_w \max_{\theta} \mathcal{V}(w, \theta) = 1 - \frac{\sum_i w_i \log p_{\theta}(y_i | \phi(x_i))}{\sum_i w_i \log p'_{y_i}} \quad (2)$$

- Classifier  $\theta$  tries to classify examples in feature space  $\phi$
- Weights  $w$  tries to select difficult set of examples

## Colored MNIST

**Experiment setup** Introduce **color bias** to MNIST dataset by digit-dependent coloring (Fig. 2)

$$X_{i,j,c}^{\text{color}} = S_c \cdot X_{i,j}, \quad i, j \in \{0, \dots, 27\}, \quad c \in \{0, 1, 2\} \quad (3)$$

- Augment original grayscale images  $X_{i,j} \in [0, 1]$  with RGB color  $S = (S_0, S_1, S_2) = \phi(X^{\text{color}})$
- New dataset is biased if **color  $S$  dependent on class label  $Y$**  (e.g. Gaussian with different mean per-class)

## Resampling the Digits

**Resampling strategies** Selecting examples based on  $w_i$

- threshold** — Keep  $(x_i, y_i)$  with  $w_i \geq t$
- rank** — Keep ratio of  $(x_i, y_i)$  with greatest  $w_i$
- cls-rank** — Keep  $(x_i, y_i)$  with greatest  $w_i$  each class
- sample** — Keep  $(x_i, y_i)$  with probability  $w_i$
- uniform (baseline)** — Pick 50% of  $(x_i, y_i)$  at random



Figure 2: Colored MNIST examples before & after resampling.

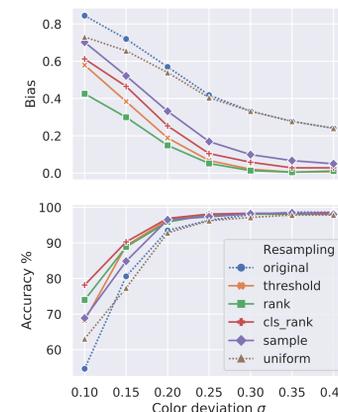


Figure 3: Bias and generalization accuracy after resampling.

## Video Action Recognition

**Static bias**  $\phi$  — ImageNet pre-trained CNN features

- High bias  $\implies$  More static cue
- Minimize bias  $\implies$  Emphasis on temporal modeling

**REPAIred dataset** UCF101 [4], HMDB51 [2], Kinetics [1]

- Videos that contained too many visual cues, e.g. Billiards, are discarded (Fig. 4)
- Remaining examples are difficult for **spatial CNN**
- Some **video CNN models** rely heavily on static bias, some less (Fig. 5)

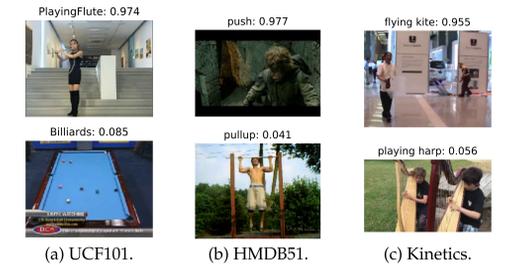


Figure 4: Videos with highest/lowest resampling weights  $w_i$ .

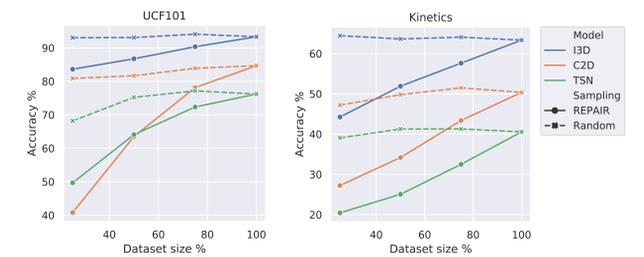


Figure 5: Algorithm performances on resampled dataset.

**Generalization** Training models on REPAIred dataset

- Overfitting to the bias may hurt generalization
- 3D CNN models trained on REPAIred Kinetics dataset generalize better to same classes in HMDB51 (Table 1)

Remove ratio	0 (orig.)	0.25	0.5	0.75
Static bias	0.585	0.499	0.400	0.297
sword	12.43%	15.52%	16.99%	<b>22.03%</b>
hug	14.97%	16.26%	<b>17.37%</b>	17.11%
somersault	23.06%	23.97%	26.67%	<b>29.26%</b>
laugh	37.15%	<b>56.09%</b>	49.51%	50.42%
clap	<b>53.47%</b>	52.79%	52.31%	45.92%
shake hands	57.80%	60.31%	60.41%	<b>61.40%</b>
kiss	80.59%	<b>80.87%</b>	79.20%	78.96%
smoke	<b>83.31%</b>	80.87%	82.35%	83.29%
pushup	<b>90.70%</b>	88.12%	90.16%	87.26%
situp	90.39%	91.67%	88.09%	<b>92.14%</b>
ride bike	93.89%	<b>94.94%</b>	93.60%	91.02%
pullup	100.00%	100.00%	100.00%	100.00%
Average	61.48%	<b>63.45%</b>	63.06%	63.24%

Table 1: Cross-dataset generalization from REPAIred Kinetics to HMDB51.