



Deliberative Explanations: visualizing network insecurities

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Attribution maps $m_{i,j}^p = [\nabla g_p(\mathbf{A})]_{i,j}^T \mathbf{a}_{i,j} + \frac{1}{2} \mathbf{a}_{i,j}^T [\mathbf{H}(\mathbf{A})]_{i,j} \mathbf{a}_{i,j}$ Difficulty scores Hesitancy score $s^{he}(\mathbf{x}) = 1 - \max f_y(\mathbf{x})$ • Entropy score $s^{e}(\mathbf{x}) = -\frac{1}{\log C} \sum_{y} f_{y}(\mathbf{x}) \log f_{y}(\mathbf{x})$ • Hardness score [2]. $s^{ha}(\mathbf{x}) = s(\mathbf{x})$ Methods **Evaluation** Hesitancy score Entropy score Hardness score [2] Explanations are usually difficult to evaluate, since explanation Gradient [6] ground truth is usually not available. Gradient w/o m^s Int. grad. [1] Human evaluation Gradient-Hessian Which categories does the bird belong to? Basic Instructions The image above shows part of a bird. On the right, you can see examples from five bird categories. Please choose the two categories that you believe he bird above is most likely to belong to. Please exactly two categories must be chosen if it is too hard to decide, just choose "Don't know" **MTurk interface** Contrast: randomly cropped regions with the same size as insecurities • Results: turkers agreed amongst themselves on a and b for 59:4% of the insecurities and 33.7% of randomly cropped regions. Turkers agreed with the algorithm for 51.9% of the insecurities and 26.3% of the random crops. Evaluation by proxy tasks • Define part, points on CUB200 and segments on segmentation datasets; • Compute ambiguity strength (similarity) for all parts ${f p}$, class pairs (a, b), $\alpha_{a,b}^k = \gamma(\phi_a^k, \phi_b^k)$ • Remain 20% strongest as ground truth set $\mathcal{G} = \{(\mathbf{p}_i, a_i, b_i)\}_{i=1}^M$; • To evaluate each insecurity $\mathbf{r}(a, b)$ • On CUB200, precision and recall are used $P = \frac{|\{i | \mathbf{p}_i \in \mathbf{r}, a_i = a, b_i = b\}|}{|\{k | \mathbf{p}_k \in \mathbf{r}\}|} \quad R = \frac{|\{i | \mathbf{p}_i \in \mathbf{r}, a_i = a, b_i = b\}|}{|\{i | (\mathbf{p}_i, a_i, b_i) \in \mathcal{G}, a_i = a, b_i = b\}|}$ • On segmentation datasets, IoU metric is used $IoU = \frac{|\mathbf{r} \cap \mathbf{p}|}{|\mathbf{r} \cup \mathbf{p}|}$

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